



Figure 1 : The Langevin function  $L(\alpha)$ , expressed in  $M/Nm$  vers.  $\alpha = \mu H/KT$  .

For large value of  $a$  i.e , for high field strength and for low temperature  $L(a)$  approaches unity .

When  $a \ll 1$  i.e , for low field strength and for high temperature ,

$$\mu H / KT \ll 1$$

or  $\mu H \ll KT$  , then

$$L(a) = a/3 = \mu H / 3KT \tag{8}$$

Using (8) in (7) , we get

$$\langle \mu \cos\theta \rangle = \mu^2 H / 3KT \tag{9}$$

Using (9) in (1) , we get

$$M = n\mu^2 H / 3KT$$

Hence the magnetic susceptibility

$$\chi = M / H = n\mu^2 / 3KT = C/T \quad (10)$$

Where  $n\mu^2 / 3K = C$

If we consider a gram – molecule of the gas , the molar susceptibility

$$\chi_M = N \mu^2 / 3KT$$

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If we consider a gram – molecule of the gas , the molar susceptibility

$$\chi_M = N \mu^2 / 3KT \quad (N \mu)^2 / 3NKT = = \sigma_0^2 / 3KT = C_m / T \quad (11)$$

Where  $\sigma_0 = N\mu =$  gram – molecular magnetic moment

If  $a \gg 1$  , i.e ,  $\mu H / KT \gg 1$

Then ,  $L(a) = 1$

$$\therefore M = n\mu$$

The Eq .(11) shows that the paramagnetic susceptibility  $\chi_M$  varies inversely as absolute temperature  $T$ ,

which explains the results obtained by curie on his extensive experimental research and is expressed as

$$\chi_M T = C_m \quad (12)$$

Where  $C_m$  = Curie Constant for gram – molecule