

**TDC Part III**  
**Paper VI**  
**Inorganic Chemistry**



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**TOPIC:-UNIT II, Magnetic properties ,**

*Method of determining magnetic susceptibility, Quinckes method*

# Quinckes method

The Quincke's method is used to calculate magnetic susceptibility of diamagnetic or paramagnetic substances in a liquid form. When an object is placed in a magnetic field, a magnetic moment is induced in it. Magnetic susceptibility of a magnetic substance is the ratio of the magnetization I (magnetic moment per unit volume) to the applied magnetizing field intensity H. The magnetic moment can be measured either by force methods or induction methods. The Quincke's method like the Gouy's method belongs to force method. The force f on the sample is negative of the gradient of the change in energy density when the sample is placed in magnetic field.

$$f = \frac{d}{dx} \left[ \frac{1}{2} \mu_0 (\mu_r - \mu_{ra}) H^2 \right] = \frac{1}{2} \mu_0 (x - x_a) \frac{d}{dx} H^2 \dots \dots \dots (1)$$

Here,  $\mu_0$  is permeability of the free space and  $\mu_r, \chi$  and  $\mu_{ra}, \chi_a$  are relative permeability and susceptibility of the sample and the air respectively which the sample displaces. The force acting on an element of area A and length dx of the liquid column is fAdx. Therefore, the total force F on the liquid is

$$F = A \int f dx = \frac{A \mu_0}{2} (x - x_a) (H^2 - H_0^2) \dots \dots \dots (2)$$

H is equal to the field at the liquid surface between the poles of the magnet and 0. The liquid of density r moves under the influence of this force until it is balanced by the pressure exerted over the area A due to a height difference of h between the liquid surfaces in the two arms of the U-tube. Therefore, the force will be

$$F = Ah(\int - \int a)g$$

Or

$$x = x_a + \frac{2}{\mu_0} g (\int - \int a) \frac{h}{(H^2 - H_0^2)} \dots \dots \dots (3)$$

In actual practice  $\chi_a$ , density of air  $\rho_a$  and  $H_0$  are negligible and can be ignored and the above expression simplifies to

$$\chi = 2 \int \frac{g h}{\mu_0 H^2} \dots\dots\dots (4)$$

This equation shows that by plotting h as a function of H<sup>2</sup>, the susceptibility  $\chi$  (called the volume susceptibility) can be determined directly from the slope of the straight line graph.

It is a dimensionless quantity. This expression is in S.I. units in which  $\rho$ , g, h and H are measured in kg/m<sup>3</sup>, m/s<sup>2</sup>, m and amp. turn/m respectively.

In C.G.S. units, equation (3) and (4) are

$$\chi = \chi_a + 2g(\rho - \rho_a) \frac{h}{(H^2 - H_0^2)} \dots\dots\dots (5)$$

$$\chi = \frac{2\rho g h}{H^2} \dots\dots\dots (6)$$

Where  $\rho$ , g, h and H are measured in g/cm<sup>3</sup>, cm/s<sup>2</sup>, cm and gauss respectively. The volume susceptibilities in the two systems of units are related as  $\chi$  (SI units) = 4  $\chi$  (CGS units).

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