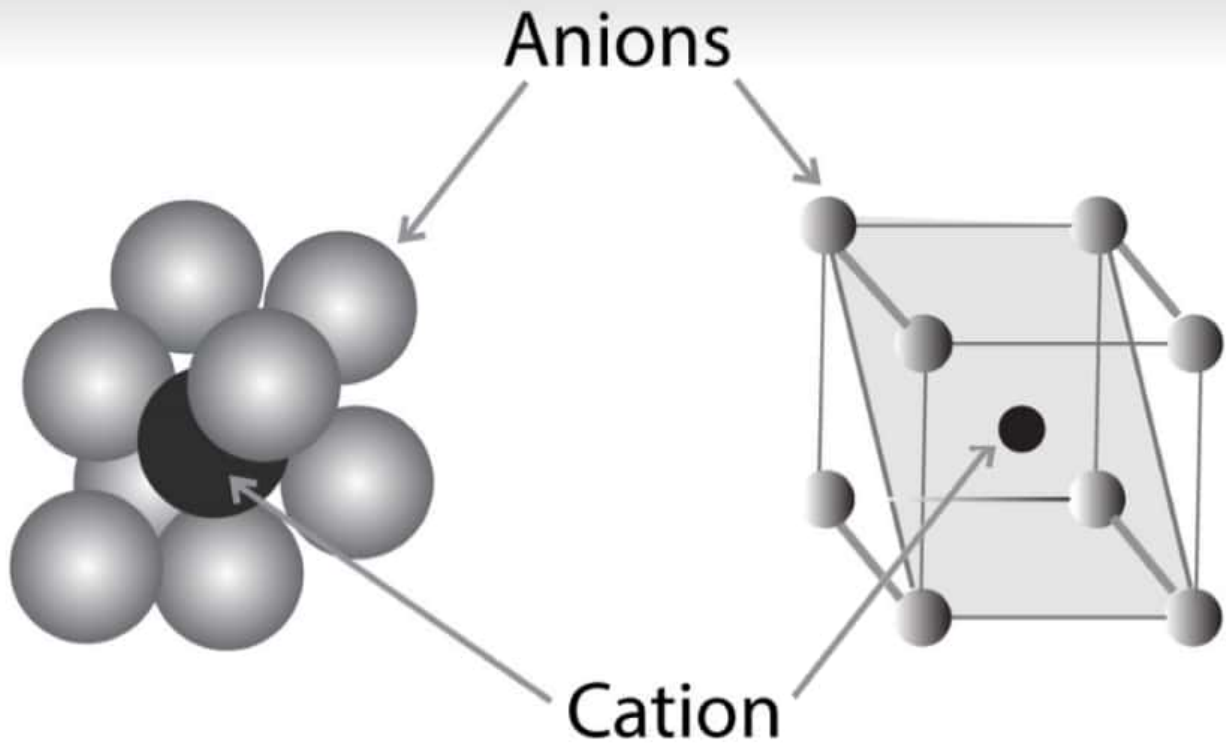
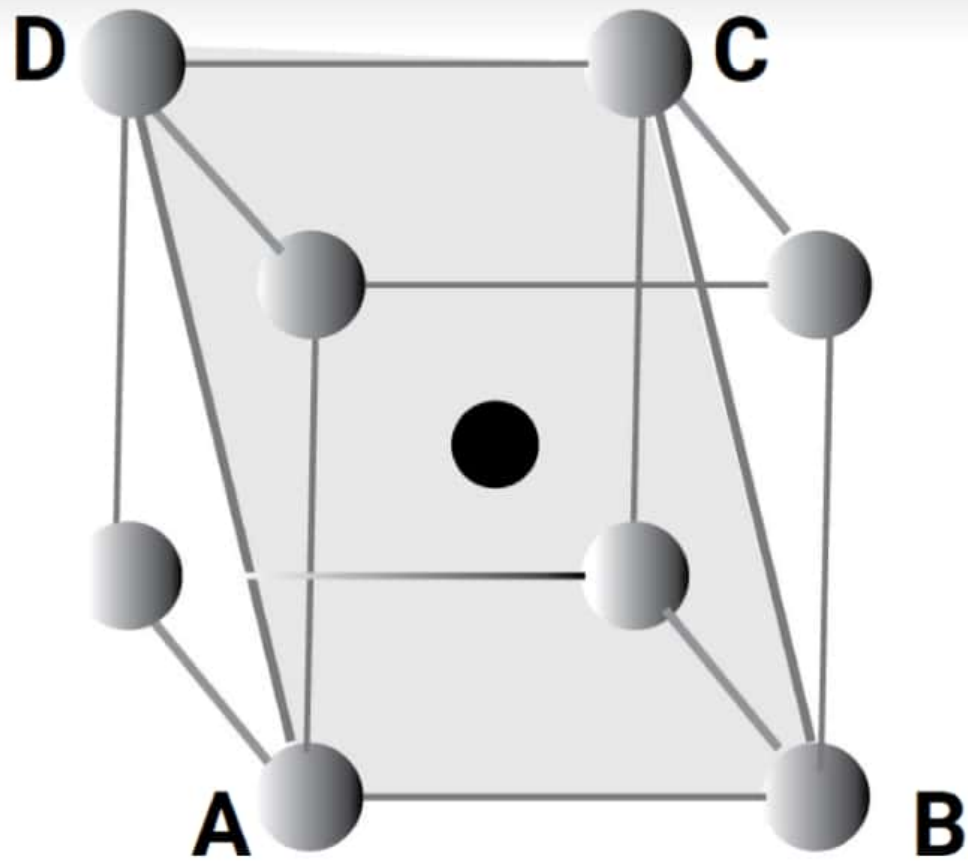


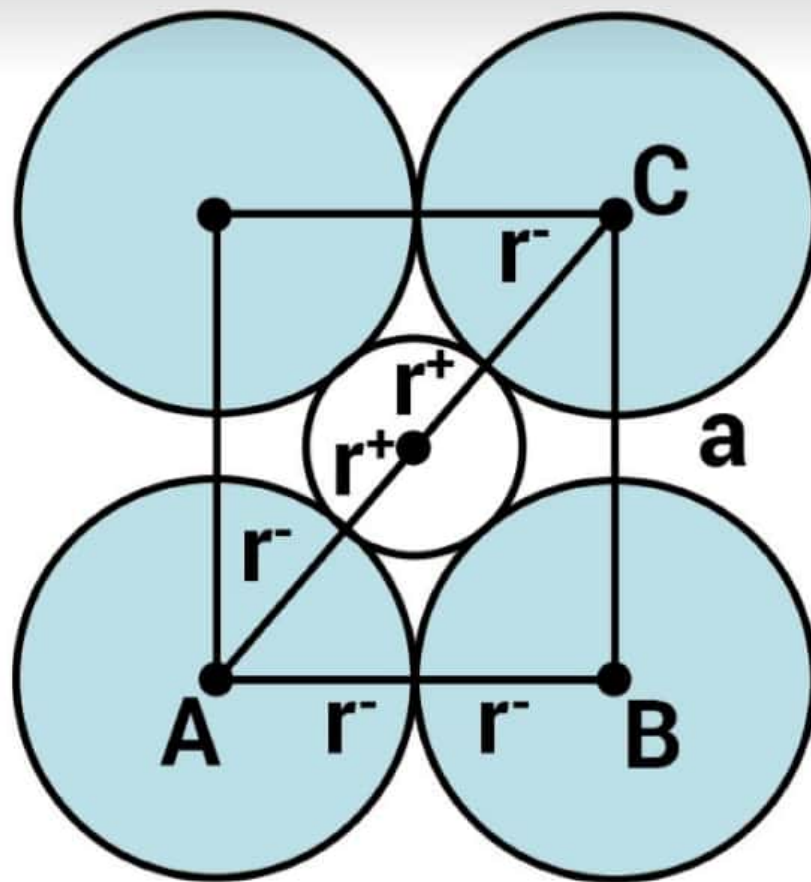
**Next we will find limiting
radius ratio for $CN = 6$**



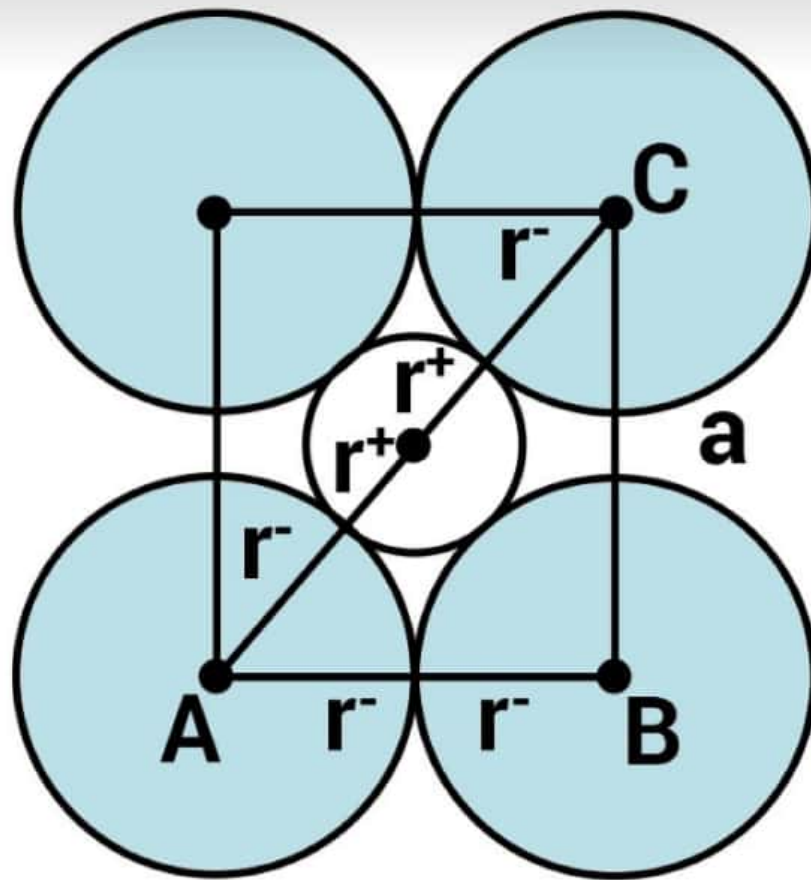
The geometry here is cubic.



To calculate the limiting radius ratio, we will use the plane shown above

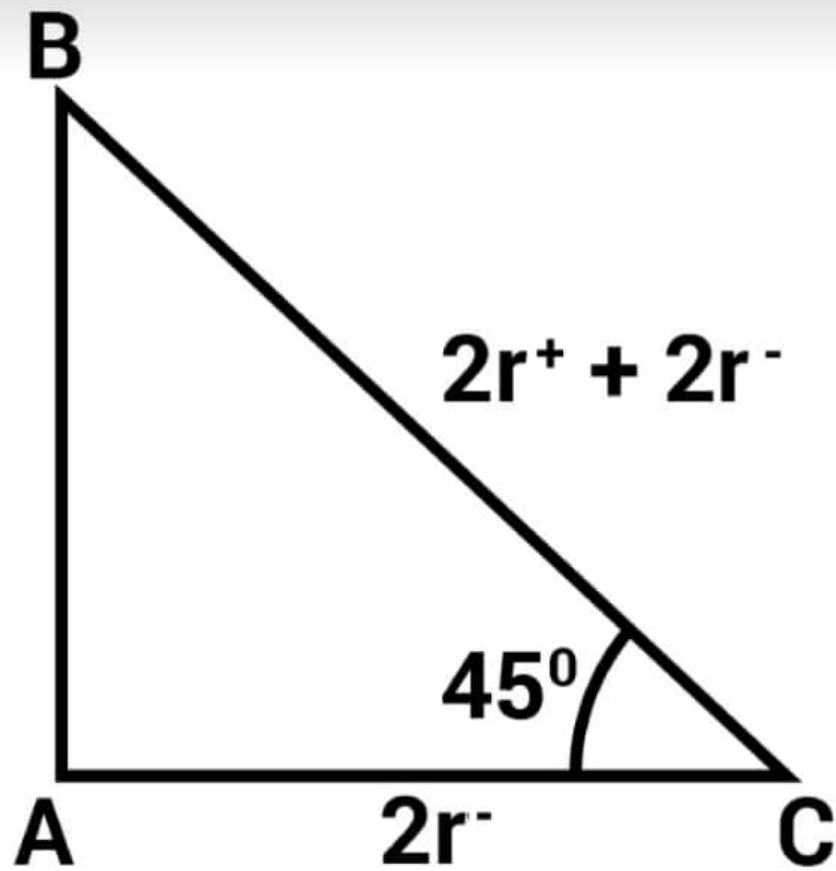


The given plane will look like this. Let r^+ be radius of cation and r^- be radius of anion

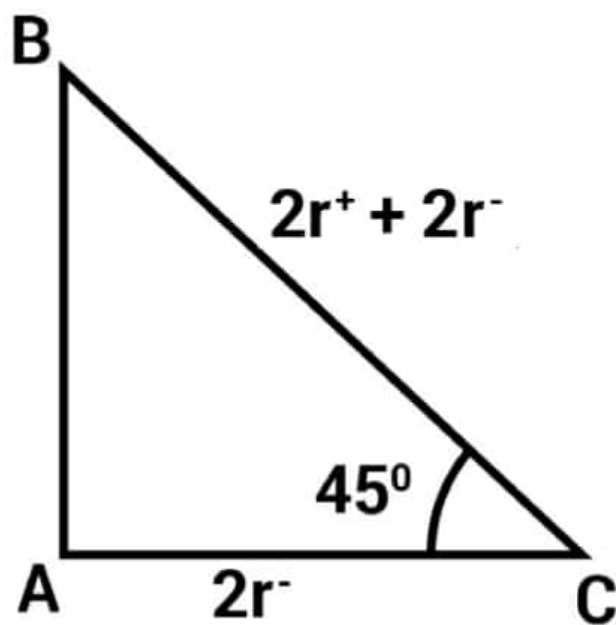


In this plane, $AB = 2r^-$. AB is also the side of the cube i.e a .

So $a = 2r^-$.



From the cross section, we can draw a right angled triangle ABC



$$\cos 45^\circ = \frac{2r^-}{2r^+ + 2r^-}$$

$$\frac{1}{\sqrt{2}} = \frac{2r^-}{2r^+ + 2r^-}$$

$$2\sqrt{2}r^- = (2r^+ + 2r^-)$$

$$\Rightarrow (2\sqrt{2}r^- - 2)r^- = 2r^+$$

$$\Rightarrow \frac{r^+}{r^-} = \frac{2\sqrt{2} - 2}{2} = \sqrt{2} - 1 = 0.414$$

**Hence the limiting radius
ratio of cubic geometry is
0.732**