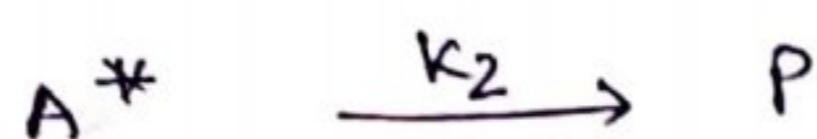
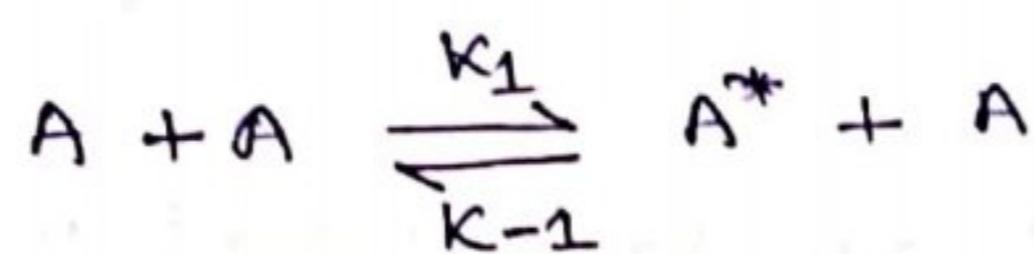


## \* Lindemann Theory of Unimolecular reaction :-

According to this theory -

A unimolecular reaction  $A \rightarrow P$  proceeds through the following mechanism -



Here,  $A^*$  is the energized 'A' molecule which has acquired sufficient vibrational energy to enable it to decompose.

In the first step, the energized molecule  $A^*$  is produced by collision with another molecule 'A'.

The rate constant for the energized step is  $k_1$ . After the production of  $A^*$ , it can either be de-energized back to 'A' where rate constant is  $k_{-1}$ . Here, its vibrational energy is transferred to the kinetic energy of an 'A' molecule or be

decomposed to product where rate constant is  $k_2$ .

According to steady-state approximation, a reactive species is produced as an intermediate in a chemical reaction. Its rate of formation is equal to rate of decomposition.

$$\text{Rate of formation} = k_1 [A]^2$$

$$\text{Rate of decomposition} = k_{-1} [A] [A^*] + k_2 [A^*]$$

$$\text{Thus, } \frac{d[A^*]}{dt} = k_1 [A]^2 - k_{-1} [A] [A^*] - k_2 [A^*] = 0 \quad \text{--- (1)}$$

$$\therefore [A^*] = \frac{k_1 [A]^2}{k_{-1} [A] + k_2} \quad \text{--- (2)}$$

The rate of reaction is given by -

$$r = \frac{-d[A]}{dt} = k_2 [A^*] \quad \text{--- (3)}$$

Substituting eqs - (2) in eq - (3) we get,

$$r = \frac{k_1 k_2 [A]^2}{k_{-1}[A] + k_2} \quad \text{--- (4)}$$

If  $k_{-1}[A] \gg k_2$  then  $k_2$  term in the denominator can be neglected.

$$\therefore r = k_1 k_2 / k_{-1}[A] \quad \text{--- (5)}$$

It is the rate equation for a first-order reaction. In a gaseous reaction.

At very high pressure -

$[A]$  is very large so that  $k_1[A] \gg k_2$ .

If  $k_2 \gg k_{-1}[A]$  then  $k_{-1}[A]$  can be neglected.

$$\therefore r = k_1 [A]^2 \quad \text{--- (6)}$$

It is the rate equation for 2nd Order reaction.

But experimental rate is -

$$r = k_{uni}[A] \quad \text{--- (7)}$$

Where,  $k_{uni}$  = Unimolecular rate constant.

on combining eqs - (4) and eqs - (7) we get,

$$k_{uni} \equiv k^1 = \frac{k_1 k_2 [A]}{k_{-1}[A] + k_2} = \frac{k_1 k_2}{k_{-1} + k_2/[A]} \quad \text{--- (8)}$$