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3) BINARY PARALLEL ADDER:-

By making use of a number of full adders we can build binary adder of any length. The symbol for binary adder is given below. In this the solid arrows are standard representation of a moving word. This figure shows that two binary numbers or word A and B are added to get a sum and a final carry. A circuit for a parallel binary adder is shown in fig(b) below.

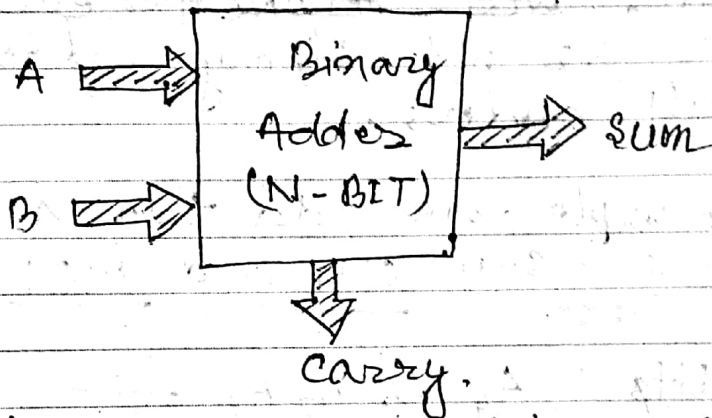
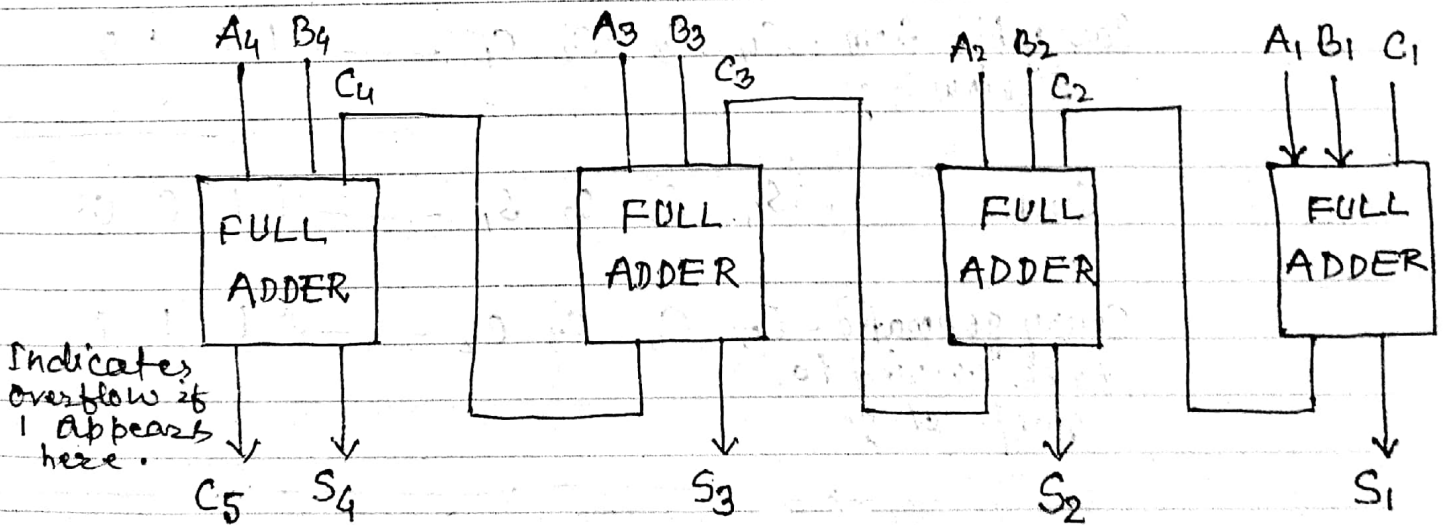


Fig. (a) Symbol for binary adder.



S = Sum

Fig. (b) Parallel Binary Adder.

JUN 1997	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31
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This circuit can add any two 4 bit binary integers. The addend (the number to which other number is to be added) bits are named as  $A_1, A_2, A_3$  and  $A_4$  and the augend (the no. which is to be added) bits are represented as  $B_1, B_2, B_3$  and  $B_4$ . Carry is denoted by  $C_1, C_2, C_3$  and  $C_4$  and Sum is  $S_1, S_2, S_3$  and  $S_4$  respectively.

The basic configuration as discussed above can be extended to any number of bits requiring one additional full adder will require for each additional bit. A 32 bit binary adder will require 32 full adders.

for example; we add two 4 bits binary integers say 0111 and 0101

Addend bits -  $A_4 A_3 A_2 A_1$  — 0 1 1 1  
 Augend bits -  $B_4 B_3 B_2 B_1$  — 0 1 0 1

Carry bit from previous stage -  $C_4 C_3 C_2 C_1$  — 1 1 1 0

Sum -  $S_4 S_3 S_2 S_1$  — 1 1 0 0

Carry generated to be carried to next stage -  $C_5 C_4 C_3 C_2$  — 0 1 1 1

